

# Bounding the Higgs width at the HL-LHC

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[HXS WG] arXiv:1101.0593, arXiv:1201.3084

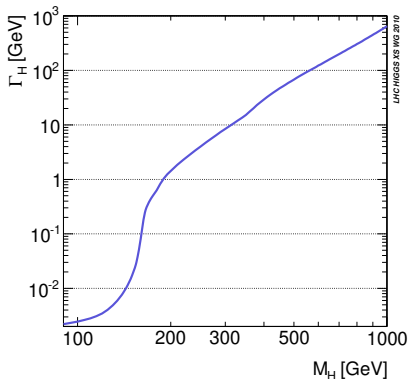
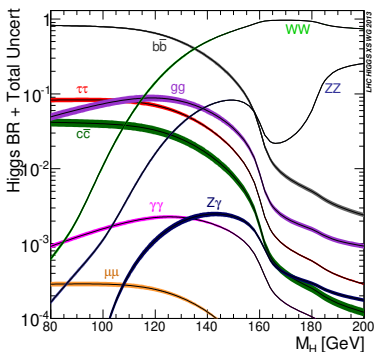
- Width of a resonance is determined by mass & interactions

[<http://pdg.lbl.gov>]

$$\Gamma = \int \frac{(2\pi)^4}{2M} |\mathcal{A}|^2 d\Phi_n(P; p_1, \dots, p_n) \xrightarrow{n=2} \frac{1}{32\pi^2} |\mathcal{A}|^2 \frac{|\vec{p}_1|}{M^2} \int d\Omega_2$$

2-particle decay width a constant as  $|\vec{p}_1| = \sqrt{(M^2 - m_1^2 - m_2^2) - 4m_1^2 m_2^2} / 2M$

- Calculated SM Higgs width at  $m_H = 125$  GeV  $\rightarrow \Gamma_{H,SM} \approx 4$  MeV

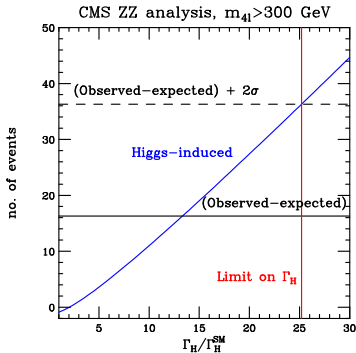
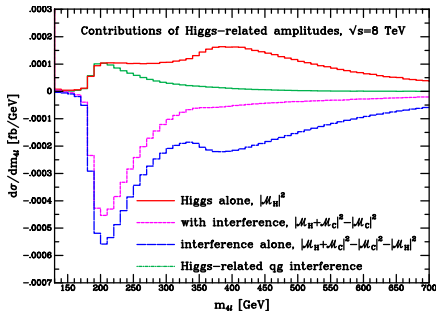


[Caola,Melnikov] arXiv:1307.4935, [Campbell,Ellis,Williams] arXiv:1311.3589

- ▶ Cross section in  $i \rightarrow H \rightarrow f$  in the narrow-width approximation

$$\frac{d\sigma_{pp \rightarrow H \rightarrow f}}{dM_f^2} \propto \frac{g_i^2 g_f^2}{(M_f^2 - m_H^2)^2 + m_H^2 \Gamma_H^2} \xrightarrow{\text{NWA}} \frac{g_i^2 g_f^2}{\Gamma_H / \pi}$$

- ▶ In  $gg \rightarrow H \rightarrow ZZ \rightarrow 4l$  the off-peak cross section is large  
Given on-peak NWA cross section, can use off-peak rate to bound  $\Gamma_H$
- ▶ Could be invalidated by form factors [Englert,Spanowsky] arXiv:1405.0285



- ▶ Signal-background interference in  $gg(\rightarrow H) \rightarrow \gamma\gamma$   
 [Dicus, Willenbrock] PRD37(1988)1801, [Dixon, Siu] hep-ph/0302233

$$\mathcal{M}_{gg \rightarrow \gamma\gamma} = \frac{\mathcal{A}_S / \sqrt{\pi}}{m_{\gamma\gamma}^2 - m_H^2 + im_H\Gamma_H} + \frac{\mathcal{A}_B}{\sqrt{\pi}}$$

- ▶ Change in cross section from interference effect proportional to

$$\left[ \begin{array}{c} g \\ \searrow \\ t, b \\ \nearrow \\ g \end{array} \right] \begin{array}{c} \gamma \\ \searrow \\ H \\ \nearrow \\ \gamma \end{array} \begin{array}{c} W, t \\ b, c, \tau \end{array} + \begin{array}{c} g \\ \searrow \\ t, b \\ \nearrow \\ g \end{array} \begin{array}{c} \gamma \\ \searrow \\ H \\ \nearrow \\ \gamma \end{array} \begin{array}{c} W, t \\ b, c, \tau \end{array} + \dots \times \left[ \begin{array}{c} \gamma \\ \searrow \\ b, c, \dots \\ \nearrow \\ \gamma \end{array} + \begin{array}{c} \gamma \\ \searrow \\ u, c, d, s, b \\ \nearrow \\ \gamma \end{array} + \dots \right]^*$$

$$= 2 \frac{m_{\gamma\gamma}^2 - m_H^2}{\pi} \frac{\text{Re}\{\mathcal{A}_S \mathcal{A}_B^*\}}{(m_{\gamma\gamma}^2 - m_H^2)^2 + m_H^2 \Gamma_H^2} + 2 \frac{m_H \Gamma_H}{\pi} \frac{\text{Im}\{\mathcal{A}_S \mathcal{A}_B^*\}}{(m_{\gamma\gamma}^2 - m_H^2)^2 + m_H^2 \Gamma_H^2}$$

- ▶ Real part **asymmetric** around peak, and **imaginary part symmetric**
- ▶ How can this be made measurable?

[Martin] arXiv:1208.1533, arXiv:1303.3342, [deFlorian et al.] arXiv:1303.1397

- ▶ Line shape is measured only after convolution with the detector resolution

$$\frac{d\sigma}{dm_{\gamma\gamma}} = \sum_{a,b=q,g} \int dm^2 \frac{dL_{ab}(m^2/s)}{dm^2} \hat{\sigma}_{ab}(m) \mathcal{D}(m, m_{\gamma\gamma})$$

where  $L_{ab}(\tau) \rightarrow$  parton luminosity,  $\hat{\sigma}_{ab}(m) = \int d\Phi |\mathcal{M}_{ab}|^2 / (2m^2)$ , and

$$\mathcal{D}(m, m_{\gamma\gamma}) = \frac{1}{\sqrt{2\pi}\sigma} e^{-\frac{(m-m_{\gamma\gamma})^2}{2\sigma^2}} \rightarrow \text{Detector model}$$

- ▶ Define signal and real/imaginary part of interference as

$$\hat{\sigma}_S = \text{Re}\left\{\frac{\mathcal{L}}{M_H}\right\} \frac{1}{2m_H^2} \int d\Phi \frac{|\mathcal{A}_S|^2}{m_H \Gamma_H},$$

$$\hat{\sigma}_{I/R} = \text{Re/Im}\left\{\frac{\mathcal{L}}{M_H}\right\} \frac{1}{2m_H^2} \int d\Phi 2 \text{Im/Re}\{\mathcal{A}_S \mathcal{A}_B^*\}$$

where the line shape is given by the complex Lorentzian

$$\mathcal{L} = \frac{iM_H/\pi}{m_{\gamma\gamma}^2 - M_H^2}, \quad M_H = \sqrt{m_H^2 - i m_H \Gamma_H}$$

[Bothmann,Dixon,Kuttimalai,SH] TBP

- ▶ Parton luminosity and matrix element approximately constant around  $m_H$
- ▶ Measurable line shape to good accuracy given by convolution integral

$$\mathcal{S} = \int_{-\infty}^{\infty} \mathcal{L}(\bar{m}) \mathcal{D}(m - \bar{m}) d\bar{m} = \frac{iM_H}{\sqrt{2\pi^3}\sigma} \int_{-\infty}^{\infty} \frac{e^{-\frac{(m-\bar{m})^2}{2\sigma^2}}}{\bar{m}^2 - M_H^2} d\bar{m}$$

- ▶ Can be expressed in terms of Faddeeva function  $w(z) = e^{-z^2} \operatorname{erfc}(iz)$

$$\mathcal{S} = \frac{w(z_-) - w(z_+)}{2\sqrt{2\pi}\sigma}, \quad z_{\mp} = \frac{m_{\gamma\gamma} \mp M_H}{\sqrt{2}\sigma}$$

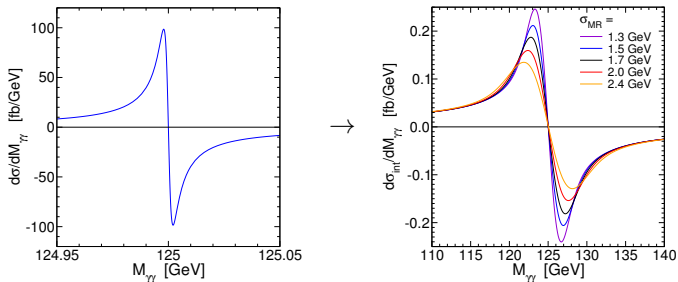
- ▶ Complete line profile of Higgs boson signal plus interference

$$\mathcal{F} = N_R \frac{\operatorname{Re}\{\mathcal{S}\}}{\operatorname{Re}\{\mathcal{N}\}} + N_I \frac{\operatorname{Im}\{\mathcal{S}\}}{\operatorname{Im}\{\mathcal{N}\}}, \quad \mathcal{N} \rightarrow \text{Normalization of } \mathcal{S}$$

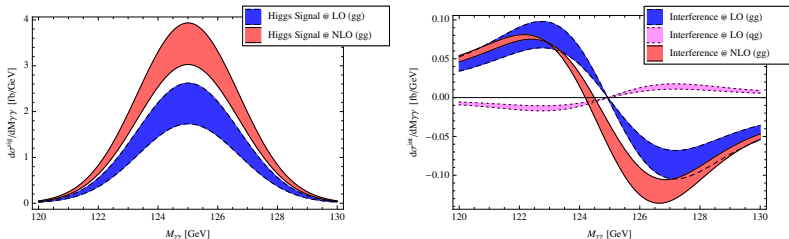
- ▶ In the Standard Model,  $N_R$  and  $N_I$  determined by

$$N_R = \frac{\sigma_S}{\Gamma_H} + \sigma_I, \quad N_I = \sigma_R, \quad \sigma_{S,I,R} = \int_0^{m_H} dm_{\gamma\gamma} \frac{d\sigma_{S,I,R}}{dm_{\gamma\gamma}}$$

- Effect of the convolution at LO [Martin] arXiv:1208.1533, arXiv:1303.3342



- Size of NLO corrections [Dixon,Li] arXiv:1305.3854, [deFlorian et al.] arXiv:1303.1397



- ▶ Effective coupling of Higgs to gluons & photons

$$\mathcal{L} = - \left[ \frac{\alpha_s}{8\pi} c_g b_g G_{\mu\nu}^a G_a^{\mu\nu} + \frac{\alpha}{8\pi} c_\gamma b_\gamma F_{\mu\nu} F^{\mu\nu} \right] \frac{h}{v} \quad b_g = \frac{2}{3}, \quad b_\gamma = \frac{47}{9} \quad \text{at LO}$$

$c_{g/\gamma}$  – new physics correction factors

- ▶ In narrow width approximation

$$\sigma_{gg \rightarrow H \rightarrow \gamma\gamma} \propto \int dm_{\gamma\gamma}^2 \frac{|\mathcal{A}_{gg \rightarrow H} \mathcal{A}_{H \rightarrow \gamma\gamma}|^2}{(m_{\gamma\gamma}^2 - m_H^2)^2 + m_H^2 \Gamma_H^2} \propto \frac{c_g^2 c_\gamma^2}{\Gamma_H}$$

- ▶ On-peak measurements invariant under simultaneous scaling

$$c_{g/\gamma} \rightarrow \xi c_{g/\gamma}, \quad \Gamma_H \rightarrow \xi^4 \Gamma_H$$

- ▶ Interference effects break degeneracy as  $N_I$  scales different than  $N_R$

$$c_g c_\gamma \approx \sqrt{\Gamma_H / \Gamma_H^{SM}}$$

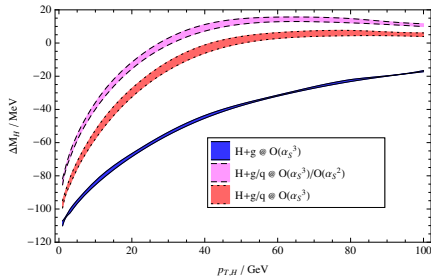
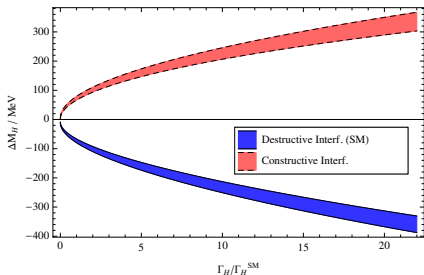
- ▶ Allows to bound Higgs width using on-peak data alone

- ▶ Measure apparent mass shift [Dixon,Li] arXiv:1305.3854
- ▶ Directly fit for line shape [Bothmann,Dixon,Kuttimalai,SH] TBP

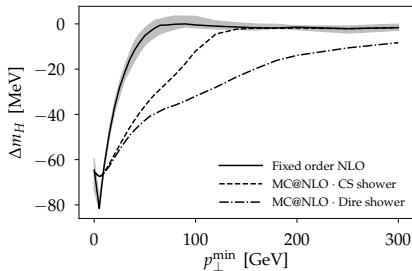
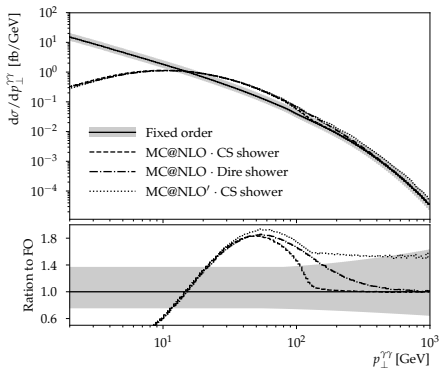


[Dixon,Li] arXiv:1305.3854

- ▶ Asymmetric form of  $\text{Im}\{\mathcal{F}\}$  creates apparent shift of Higgs mass peak  $m_H \rightarrow \tilde{m}_H = m_H + \Delta m_H$ , but need reference mass to measure effect
  - ▶  $h \rightarrow ZZ \rightarrow 4l$  (different calibration)
  - ▶ VBF-enriched  $h \rightarrow \gamma\gamma$  [Coradeschi et al.] arXiv:1504.05215
- ▶ At NLO QCD strong dependence of  $\Delta m_H$  on  $p_{T,H}$ 
  - measure reference mass by analyzing  $\gamma\gamma$  channel in two  $p_{T,H}$  bins?

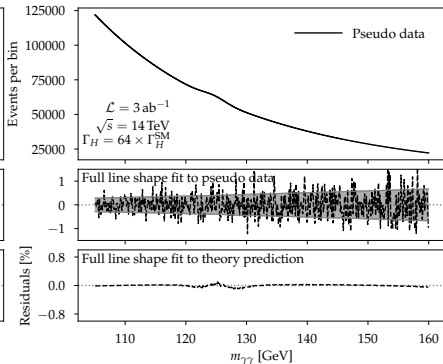
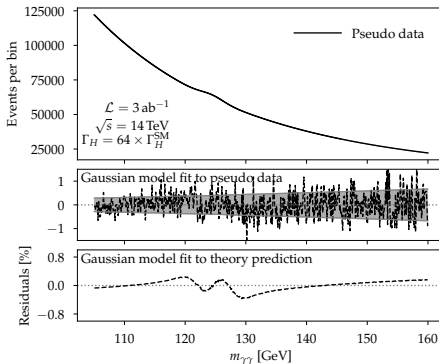


- ▶  $p_T$  spectrum in low- $p_T$  region cannot be determined reliably at fixed order QCD
- ▶ Analytic NLL result derived in [Cieri, Coradeschi, deFlorian, Fidanza] arXiv:1706.07331



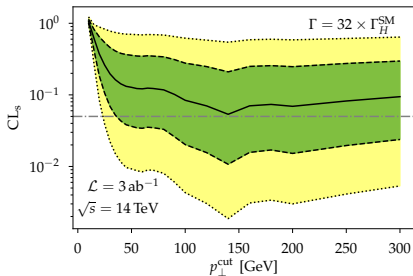
- ▶ Parton-shower matching performed to two different shower algorithms [Bothmann, Dixon, Kuttimalai, SH] TBP
- ▶ Large uncertainties [Nason, Webber] arXiv:1202.1251 related to universal large higher-order corrections [Magnea, Sterman] PRD42(1990)4222

- ▶ Comparison between fit to Gaussian and to SM line shape  $\mathcal{F}$  overlaid on continuum background ( $N \exp\{-Am_{\gamma\gamma} - Bm_{\gamma\gamma}^2 - Cm_{\gamma\gamma}^3\}$ )
- ▶ Significantly smaller residuals when fitting with correct shape  
Makes use of all experimental data in fiducial region
- ▶ Clearly depends on featureless background around  $m_H$   
Will suffer from possible asymmetric detector effects (ideas?)

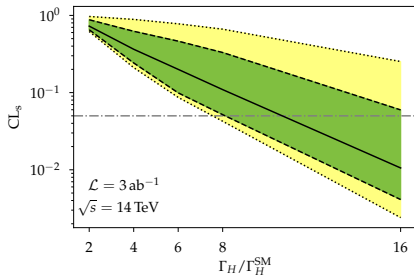


[Bothmann,Dixon,Kuttimalai,SH] TBP

- ▶ Analysis assumes integrated luminosity of  $3ab^{-1}$
- ▶ Toy experiments, x-checked with approximate error estimate [Cowan] priv.com



- ▶  $p_T$  based method



- ▶ Direct fit method

- ▶ Interference effects allow to bound Higgs width well below experimental resolution in a fairly model independent way
- ▶  $\gamma\gamma$  channel shows large effect while working close to resonance mass
- ▶  $p_T$  dependent method suffers from large uncertainties as slicing cut lies in region affected by matching of NLL-resummed spectrum to fixed-order calculation  $\rightarrow$  no theory guidance
- ▶ Direct fit method may suffer from distortions of peak shape arising from non-Gaussian / asymmetric detector effects
- ▶ Any input / advice / recommendations welcome